

Preclinical Alzheimer's Cognitive Composite: Optimization & Validation

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Preclinical Alzheimer's Cognitive Composite (PACC)

- Theory/literature driven endpoint conceived for preclinical AD clinical trials (Donohue, et al. 2014)
- Four components covering dimensions of early decline:
 - ① MMSE (global; orientation to time and place)
 - ② FCSRT (semantic memory)
 - ③ Logical Memory (episodic memory)
 - ④ Digit Symbol Substitution (executive function)
- PACC is correlated with self-assessment of function (Amariglio, et al. 2015)
- Primary outcome for A4 (Solanezumab, Eli Lilly) & EARLY (BACEi, Janssen)
- Similar composites are proposed for other preclinical AD studies

Preclinical Alzheimer's Cognitive Composite (PACC)

- Criticisms include:
 - ① MMSE is near ceiling, and should be dropped
 - ② A data-driven machine learning approach should be used to select components
 - ③ Weights should be optimized to increase power to detect treatment effects (or reduce sample size)
- Motivation: Explore out-of-sample performance of “optimized” versions of PACC

Standardization & Weighting

Each component change score is *standardized* relative to baseline SD, to yield z-scores:

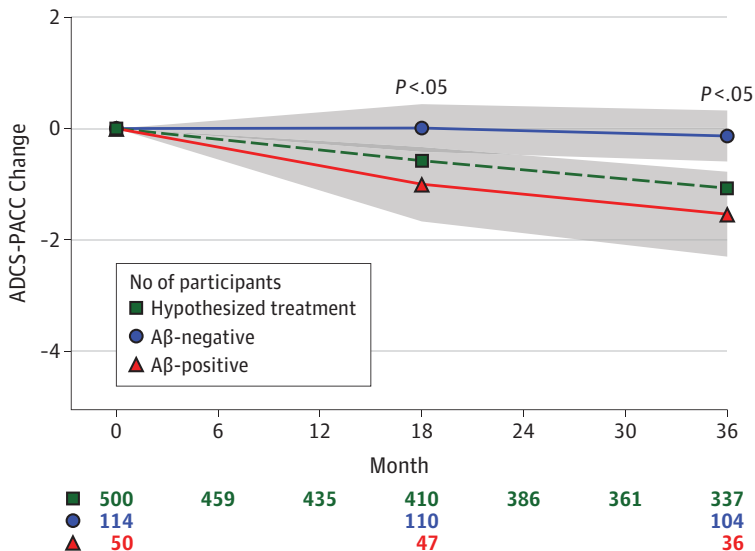
$$z_{jt} = \frac{(y_{jt} - y_{j0})}{\sigma_{j0}},$$

for component j at time t , where σ_{j0} is standard deviation of y_{j0} .

We consider *weighted sum* composites:

$$Y_t(\mathbf{w}) = z_{1t}w_1 + z_{2t}w_2 + z_{3t}w_3 + z_{4t}w_4,$$

where $\mathbf{w} = (w_1, w_2, w_3, w_4)$ is the *weight vector* (each $w_k > 0$ and they sum to one)



A β group profiles and the smallest detectable effect, δ , based on AIBL with MMRM assuming 80% power, 5% two-sided α , 3 year trial, n=500 per group, and 30% attrition. (Donohue, 2014)

Optimization of \mathbf{w}

We can “optimize” \mathbf{w} according to any *objective function*.

We explore:

- 1 Minimize minimum detectable δ as a percentage of $A\beta$ group difference
- 2 Logistic regression weights from a model to discriminate $A\beta^+$ from $A\beta^-$

Note:

- 1 Optimization comes at the price of simplicity & face validity
- 2 Available natural history data provide no info regarding treatment effects on components

Why validate?

Testing the procedure on the data that gave it birth is almost certain to overestimate performance, for the optimizing process . . . will have made the greatest use possible of any and all idiosyncrasies of those particular data. . . As a result, the procedure will likely work better for these data than for almost any other data that will arise in practice.

Mosteller & Tukey (1977). Data analysis and regression: a second course in statistics. p. 37

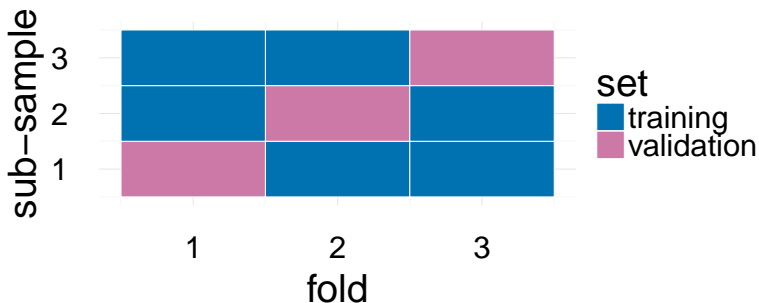
“External” validation

A4 & EARLY PET/CSF	AIBL (\hat{w}) PET	NA-ADNI PET/CSF	J-ADNI	ADCS-PI ApoE ϵ 4 CDR-G	
MMSE	MMSE (6%)	MMSE		3MSE	
FCSRT	CVLT (55%)	ADAS-COG		FCSRT	
LM	LM (35%)	LM		NYU	
Digit	Digit (5%)	Digit		Digit	
δ (equal \hat{w})	33%	42% (year 2)	35%	48%	14%
δ (logistic \hat{w})	27%*	†	54%	95%	15%

* The minimum possible δ was 25%, but this required weighting Digit Symbol in the wrong direction.

† The AIBL-optimized PACC was not significantly different at any visit in ADNI, while the original was significant only at year 2.

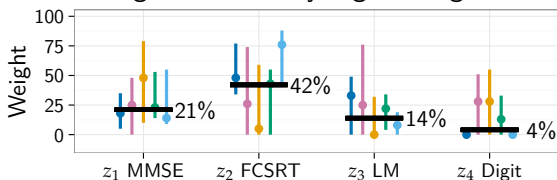
5×3-fold cross-validation



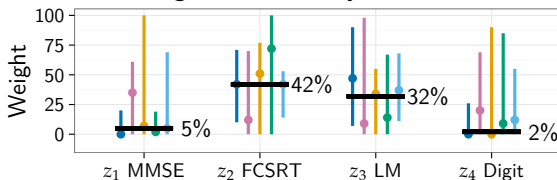
We split the sample up into 3 non-overlapping sub-samples of size $n/3$ which take turns as the validation set (red), leaving the remaining sample (blue) for training set. In our case, weights are optimized on each training set and out-of-sample performance (e.g. δ) is assessed on validation sets. This was repeated 5 times with random permutations of the data.

Median/range of optimized weights across 15 training sets

Weights derived by logistic regression



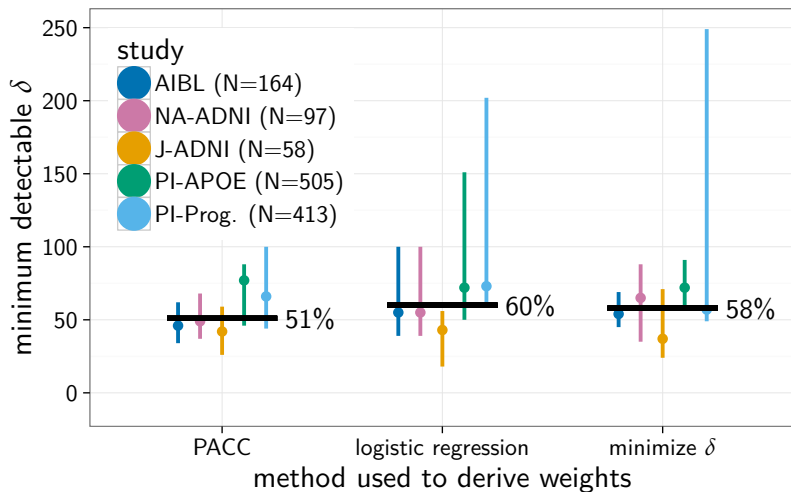
Weights derived by minimum δ



study

- AIBL (N=164)
- NA-ADNI (N=97)
- J-ADNI (N=58)
- PI-APOE (N=505)
- PI-Prog. (N=413)

Median/range of minimum δ across 15 validation sets



Limitations of validation

Limitations of “external” validation:

- expensive to collect new data
- existing data is never ideally matched (populations or components)

Limitations of cross-validation:

- mere simulation of real-world replication
- sub-samples may not be sufficient size for training and/or validation steps

Limitations of optimization

- If sample size is insufficient for cross-validation, then it is insufficient for optimization
- Natural history data provide no info regarding treatment effects on components
- Optimization comes at the price of simplicity & face validity
- Optimization should only be considered if there is a convincing rationale and it can be validated.

Summary

- Both MMSE and Digit Symbol were consistently down-weighted by optimization, however down-weighting did not reliably improve composite performance.
- MMSE has good face-validity as a global assessment and has demonstrated sensitivity to preclinical decline (Amieva, et al 2008).
- Digit Symbol has good face validity as a measure of executive function.
- Component weight optimization does not (yet?) yield reliable improvements in power to detect treatment effects in preclinical AD clinical trials.

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Poster P3-034 on Tuesday